

Traversal time for weakly synchronized CAN bus

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Travaux présentés dans :



H. Daigmorte, M. Boyer, "Traversal time for weakly synchronized CAN bus", RTNS 2016.



H. Daigmorte, M. Boyer, J. Migge, "Reducing CAN latencies by use of weak synchronization between stations", ICC 2017.

Table of Contents

- 1 Context and goal
 - CAN bus with offsets
 - Global clock
 - Local clocks
 - Bounded phases
- 2 Bounding network delay, considering offsets and weak synchronization
 - Network Calculus: short overview
 - Methods for bounding delay
- 3 Experimental results
 - Only Periodic Flows
 - Realistic case
- 4 Conclusion

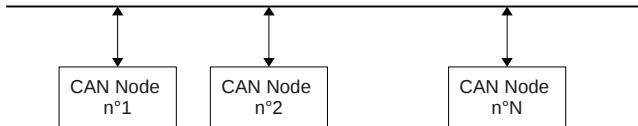
Table of Contents

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Context

Context

- Real-time networked system
- CAN bus
- Periodic flows with Offsets
 - reduces contentions \Rightarrow reduces delays
 - requires synchronization



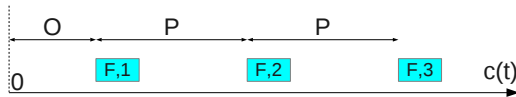
Model and Goal

Model

- Flow F_i : P_i (Period), S_i (maximal frame Size), O_i (Offset)
- N nodes, each node j has a clock: $c_j(t)$
- Sending frame k: $c_j(t) = O_i + kP_i$

Goal

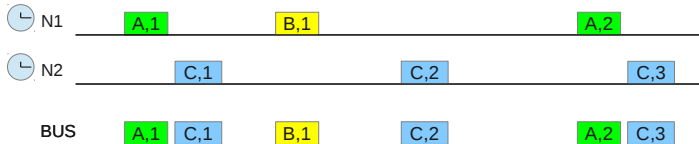
- Accurate bound on network traversal time
aka Worst Case Traversal Time (WCTT)
- considering *bounded phases*



Global clock

$$\forall j, j' : c_j(t) \approx c_{j'}(t)$$

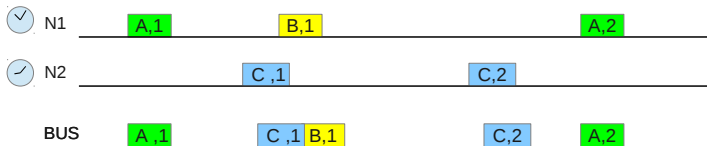
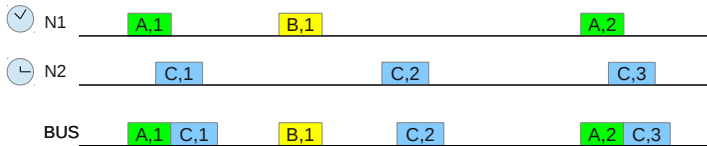
- Advantage: efficient schedule \Rightarrow no contention
- Drawback: perfect synchronization (HW/SW cost)



Local clocks

Advantage:

- efficient schedule \Rightarrow no contention intra-nodes
- efficient schedule \Rightarrow workload spread over time

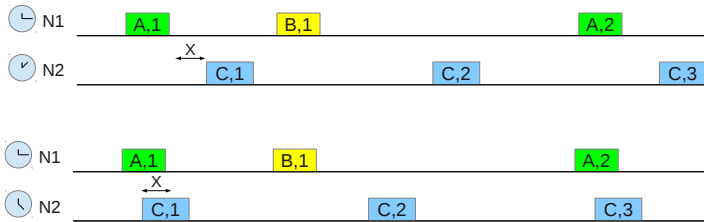


Bounded phases

$$\forall j, j' : c_j(t) - c_{j'}(t) \leq \Phi_{j,j'}$$

Objectives:

- Bounded phases: trade off between global and local clocks
- affordable synchronization
- reduces delays with regard to local clocks



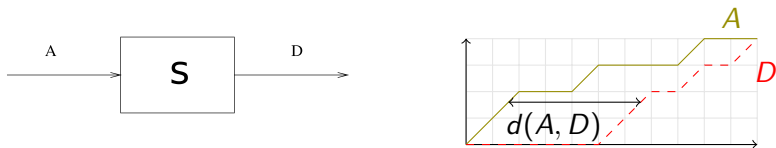
$$|c_1(t) - c_2(t)| \leq x$$

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Reality modeling

Network Calculus is a theory designed to compute memory and delay bounds in networks.



- Flow : Cumulative curve A
 - $A(t)$: amount of data sent up to time t
 - Properties: null at 0 (and before), non decreasing
- Server: simple arrival/departure relation:
 - Property: departure produced after arrival:
$$A \xrightarrow{S} D \implies A \geq D$$
- Worst delay: $d(A, S)$

Arrival curve and services

Real behaviors are unknown at design time \Rightarrow use of contracts

Traffic contract: arrival curve

A flow A has arrival curve α iff:

$$\forall t, d \in \mathbb{R}^+ : A(t + d) - A(t) \leq \alpha(d)$$

Server contract: service curve

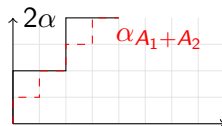
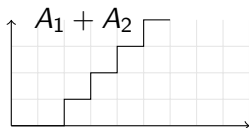
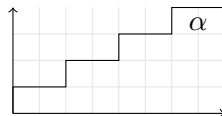
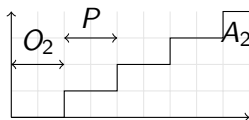
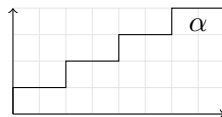
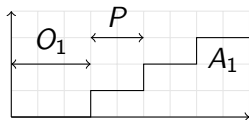
For t, s in the same busy/backlogged period, a server S offers a strict minimal service of curve β iff:

$$D(t) - D(s) \geq \beta(t - s)$$

Arrival curve modeling synchronization

Consider two periodic flows: A_1, A_2 :

- what is the arrival curve of each A_i ?
- what is the arrival curve of each $A_1 + A_2$?



Arrival curve aggregated flow

Arrival curve for $\sum_{k=1}^i A_k$

- $\sum_{i=1}^k \alpha_i$ is an arrival curve
 - accurate for *sporadic* messages
 - does not model synchronization
- Capture the synchronization: $\alpha_{1..k}$ (Theorem 5)
 - intra-node (exact)
 - inter-node (bounded)
 - $\alpha_{1..k} \ll \sum_{i=1}^k \alpha_i$
- Efficient algorithm
- Requires common period (flow transformation)

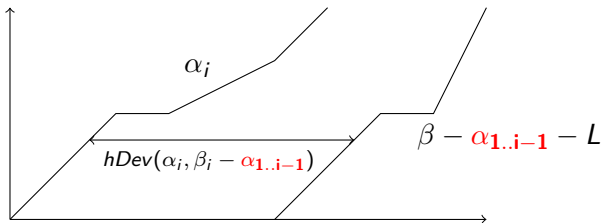
Bounding delay

Consider a flow of interest A_i

- $\sum_{k=1}^{i-1} A_k$ is the aggregate higher priority flow
- 3 methods to upper bound $d(A_i, D_i)$

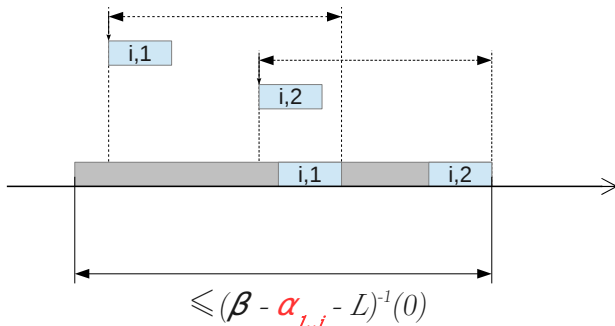
Method 1: higher priority aggregate arrival curve

- State of the art: $hDev(A_i, D_i) \leq hDev(\alpha_i, \beta - \sum_{j < i} \alpha_j - L)$
- Method 1: $hDev(A_i, D_i) \leq hDev(\alpha_i, \beta - \alpha_{1..i-1} - L)$
 - Taking into account synchronization between flows $A_1..A_{i-1}$
 - Synchronization $A_i \leftrightarrow A_k$ ($k < i$) is not considered



Method 2: bound busy period

- $hDev(A_i, D_i) \leq (\beta - \alpha_{1..i} - L)^{-1}(0)$
 - Bound busy period for high priority flows (1..i)
 - Pessimistic if several messages of the same flow are in the same busy period



Method 3: bound D

- ③ Method 3 (Theorem 3): $hDev(A_i, D_i) \leq hDev(A_i, \underline{D}_i)$
- No arrival curves
 - Accuracy of result depends of knowledge of A_i

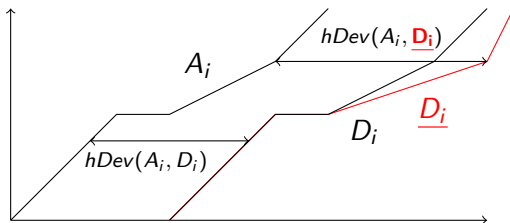
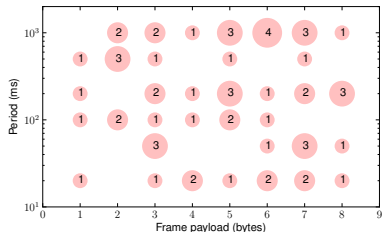


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Configuration under study

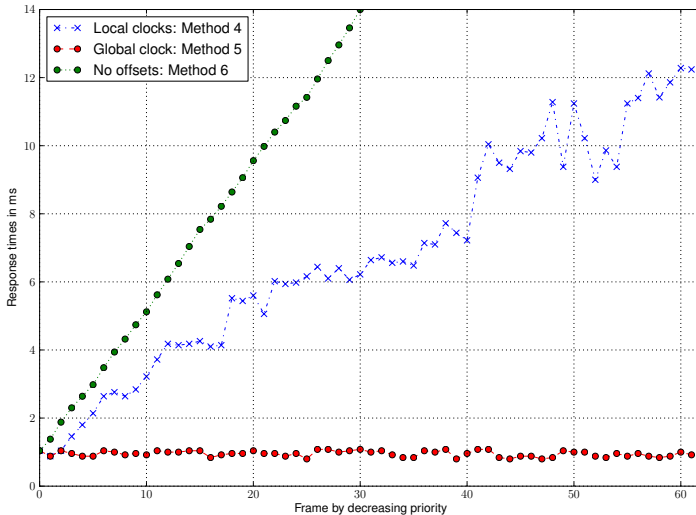
- 250 kbit/s
- 10 nodes
- 62 flows
- Load: 35%
- Period: {20,50,100,200,500,1000}
- Payload: 1-8 bytes



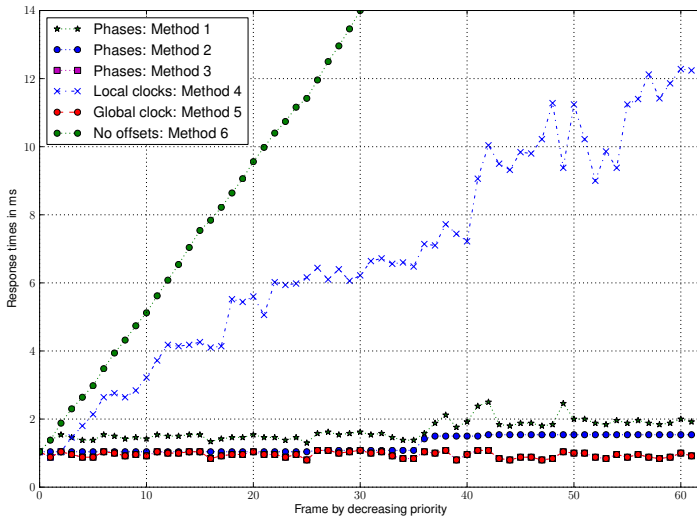
Method	Synchronization	WCTT
Method 1	Phases	Bound
Method 2	Phases	Bound
Method 3	Phases	Bound
Method 4	Local clocks	Exact
Method 5	Global clock	Bound
Method 6	No offsets	Exact

Phases : $c_j(t) - c_j'(t) \leq \Phi$, Local clocks : $\Phi = \infty$,
Global clocks : $\Phi = 0$, No offset : $O_i = 0/unknown$

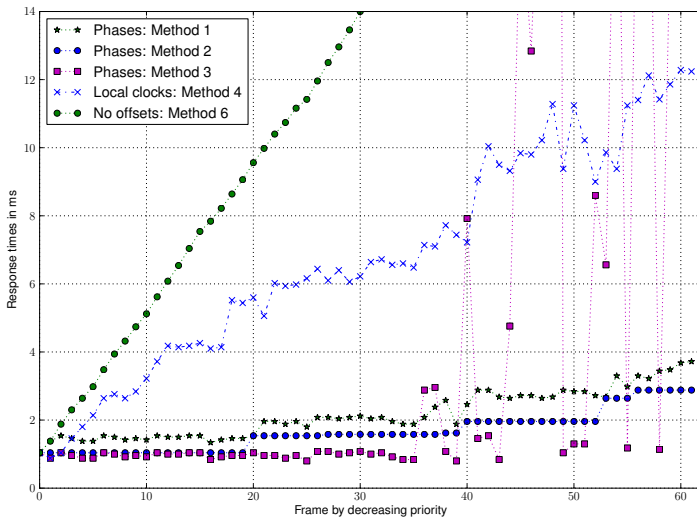
Existing methods



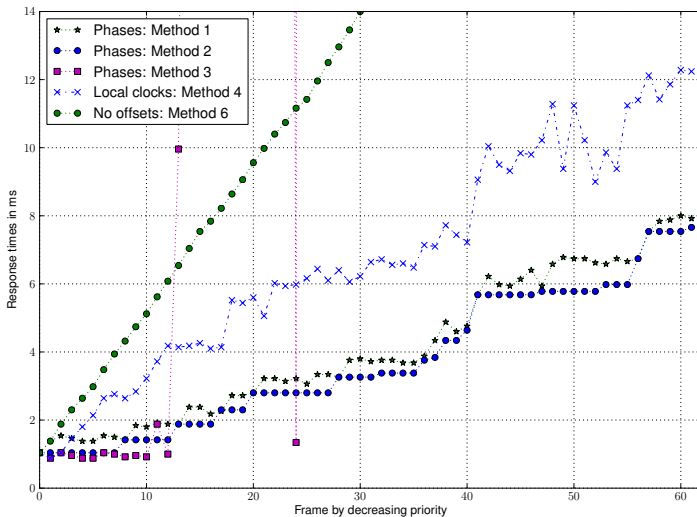
Phases bounded by 0ms



Phases bounded by $\pm 1\text{ms}$



Phases bounded by $\pm 5\text{ms}$



Phases bounded by $\pm 10\text{ms}$

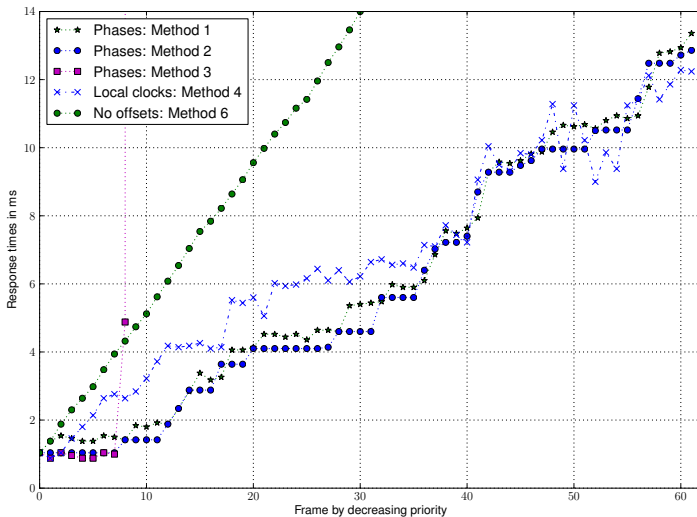
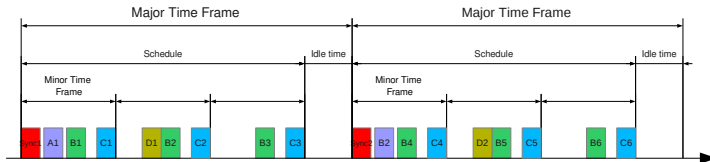


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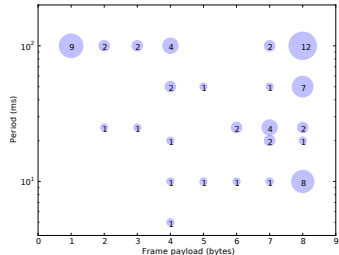
Additional considerations

- Synchronization protocol
 - Periodic message send to each node
- Sporadic/Asynchronous flows and alarms
 - $\beta - \sum_{sporadic} \alpha_i$
- Transmission errors
 - $\beta - \left(N_{error} + \left\lceil \frac{t}{T_{error}} \right\rceil - 1 \right) (L_{max} + L_{error})$



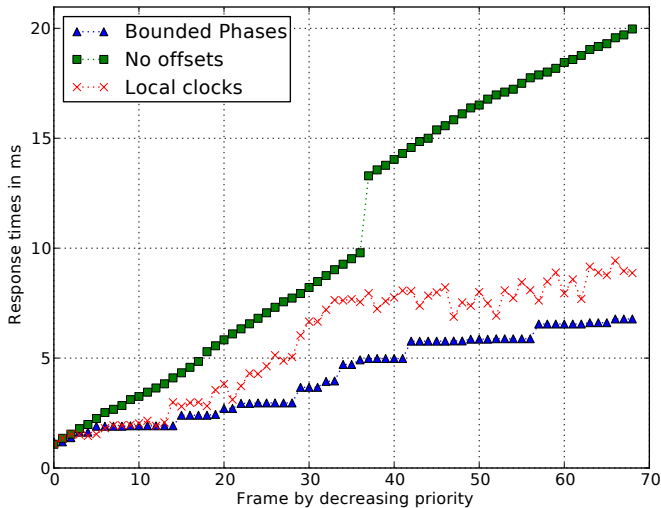
Configuration under study : a real CAN bus configuration [1]

- 500 kbit/s
- 6 nodes
- 69 flows
- Load: 60.25%



Zeng, H., Di Natale, M., Giusto, P., Sangiovanni-Vincentelli, A. (2010). "Using statistical methods to compute the probability distribution of message response time in controller area network." IEEE Transactions on Industrial Informatics 2010.

100% Periodic flows

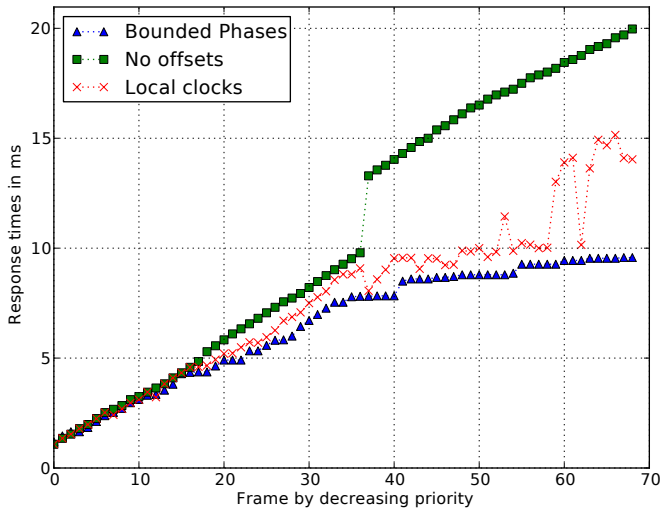


Periodic and Sporadic flows

		Periodic	Sporadic
Priorities	1-17	50%	50%
	18-34	75%	25%
	35-69	100%	0%
Part of the load		60%	40%

Distribution between periodic and sporadic messages

Periodic and Sporadic flows



Conclusion

- Offsets pro/cons
 - Pro: reduced contention and delays
 - Cons: global clock has HW/SW cost
- Is there a benefit even with a weak inter-nodes synchronization ?

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- Is there a benefit even with a weak inter-nodes synchronization ?
- Results : only periodic and no error
 - Phases 10% minimal period \Rightarrow Gain 75%
 - Phases 50% minimal period \Rightarrow Gain 45%

Conclusion

- Offsets pro/cons
 - Pro: reduced contention and delays
 - Cons: global clock has HW/SW cost
- Is there a benefit even with a weak inter-nodes synchronization ?
- Results : only periodic and no error
 - Phases 10% minimal period \Rightarrow Gain 75%
 - Phases 50% minimal period \Rightarrow Gain 45%
- Further work
 - Use a large set of configurations
 - Extend the results, obtained on a bus, to a multi-link network.