



Automata-based decentralised diagnosis of discrete events systems

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Laurence Rozé,...
and Alban Grastien

(thanks to the slides of Yannick)

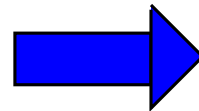


Outline

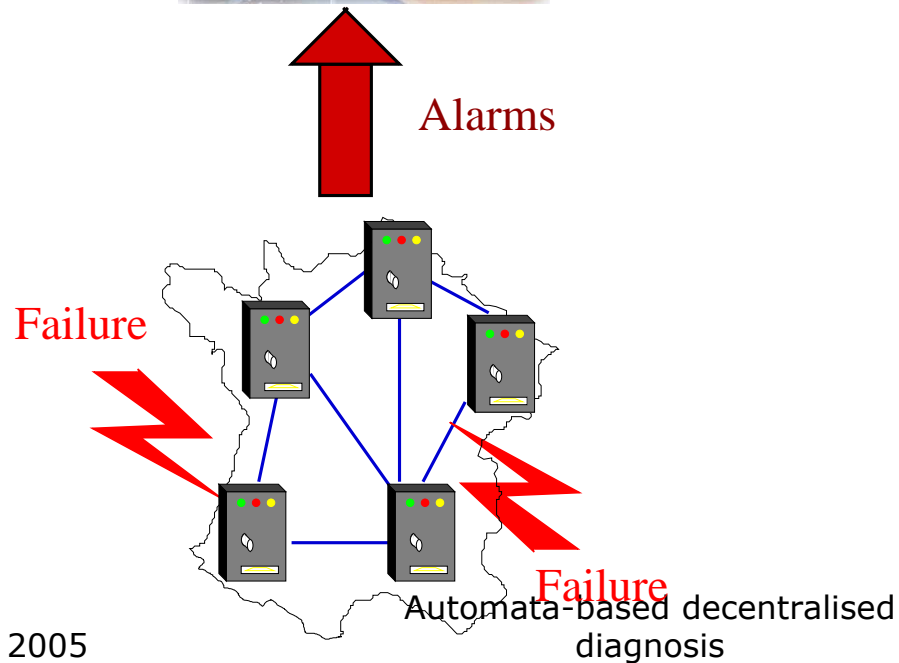
- Context
- Decentralised modeling
- Decentralised diagnosis

Systems to diagnose: the Magda context

Supervision center

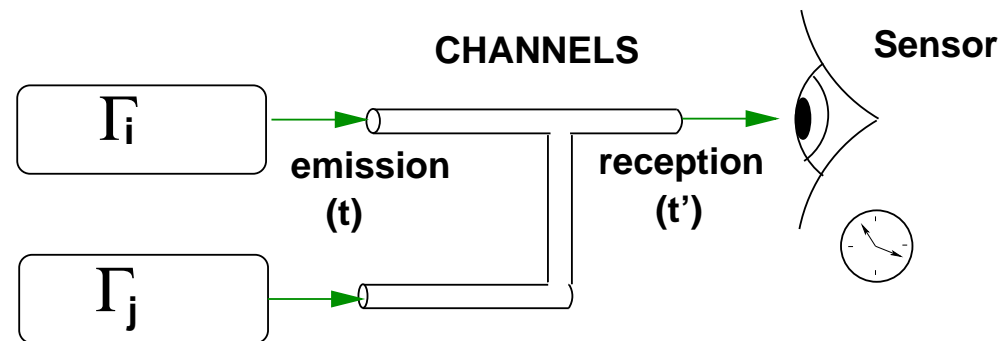


Purpose:
Identify the problems
that could have occurred
which explain the received
alarms



Detection,
Localisation,
Identification,
Propagation

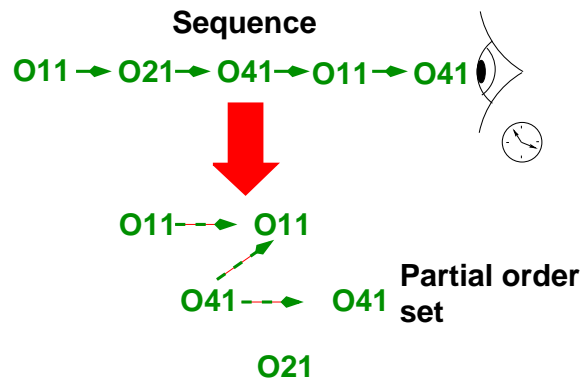
Observations



- Observation channels
 - Different propagation delays
- Observation = reception of a message by a sensor from a component
- Order of reception \neq order of emission

Observations: partial order

- O : set of observations
 - Observation = message + date
- \leq
 - Partial order relation on the observations
 - Based on the observability





Diagnosis

- The behaviors on the model that explain the observations
 - Synchronisation of the model and the observations
 - Represented by an automaton (for efficiency)



What do we want?

- A unique supervisor \Rightarrow centralised approach
- A modeling by automata



Diagnoser approach

[Sampath *et al.*] [Rozé *et al.*]

- Advantage:
 - Efficient computation
- Problem: impossible to compute
 - N components
 - 2^N states in the model
 - 2^{2^N} states in the diagnoser

→ Decentralised approach

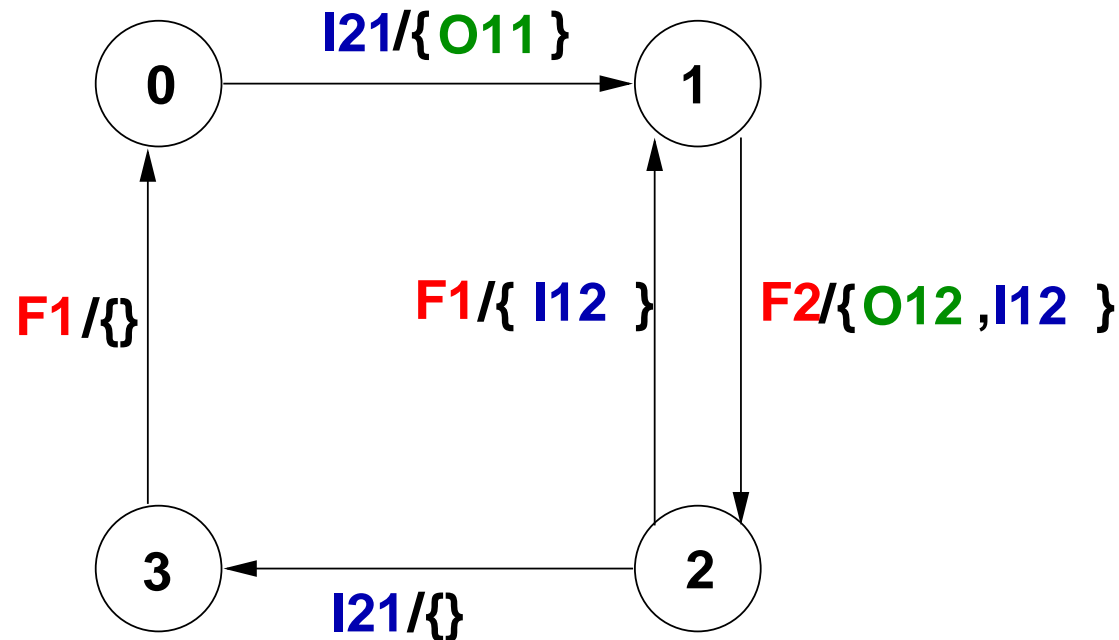


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Model of a component (example)

[Pencolé *et al.*]



- Exo_i : **F1 F2**, Rcv_i : **I21**
- Emit_i : **I12**, Obs_i : **O11 O12**

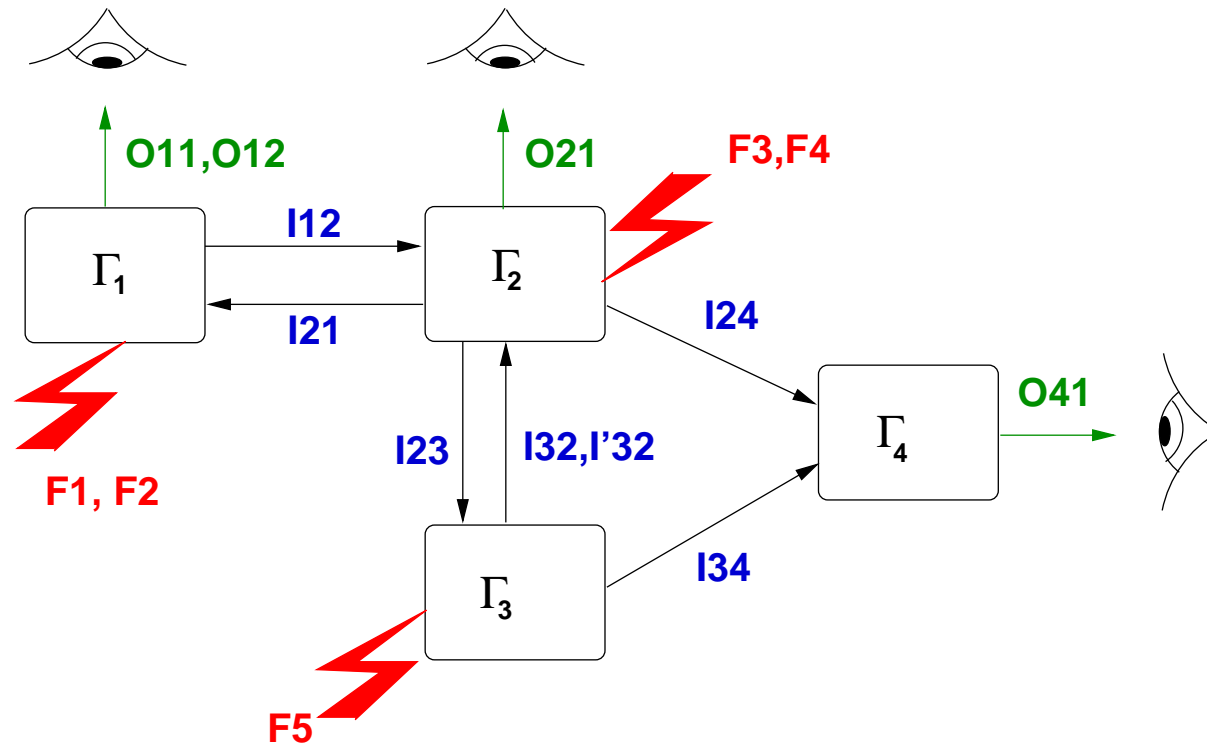


Model of a component (formal)

$$\Gamma_i = (\Sigma_{dec}^i, \Sigma_{émis}^i, Q_i, E_i)$$

- Σ_{dec}^i set of received messages (Exo_i, Rcv_i)
- $\Sigma_{émis}^i$ set of emitted messages ($Emit_i, Obs_i$)
- Q_i set of states
- E_i set of transitions

Model of the system $\Gamma = \{\Gamma_1, \dots, \Gamma_n\}$



- Implicit topology
- Synchronous communications!!



In Laurence Rozé's and Alban Grastien's modelings

- Each component has a set of ports
 - An event is a pair (*message, port*)
 - The topology is explicit
 - Still synchronous
-
- The global model is computed in Laurence Rozé's works



Conclusion on decentralised modeling by automata

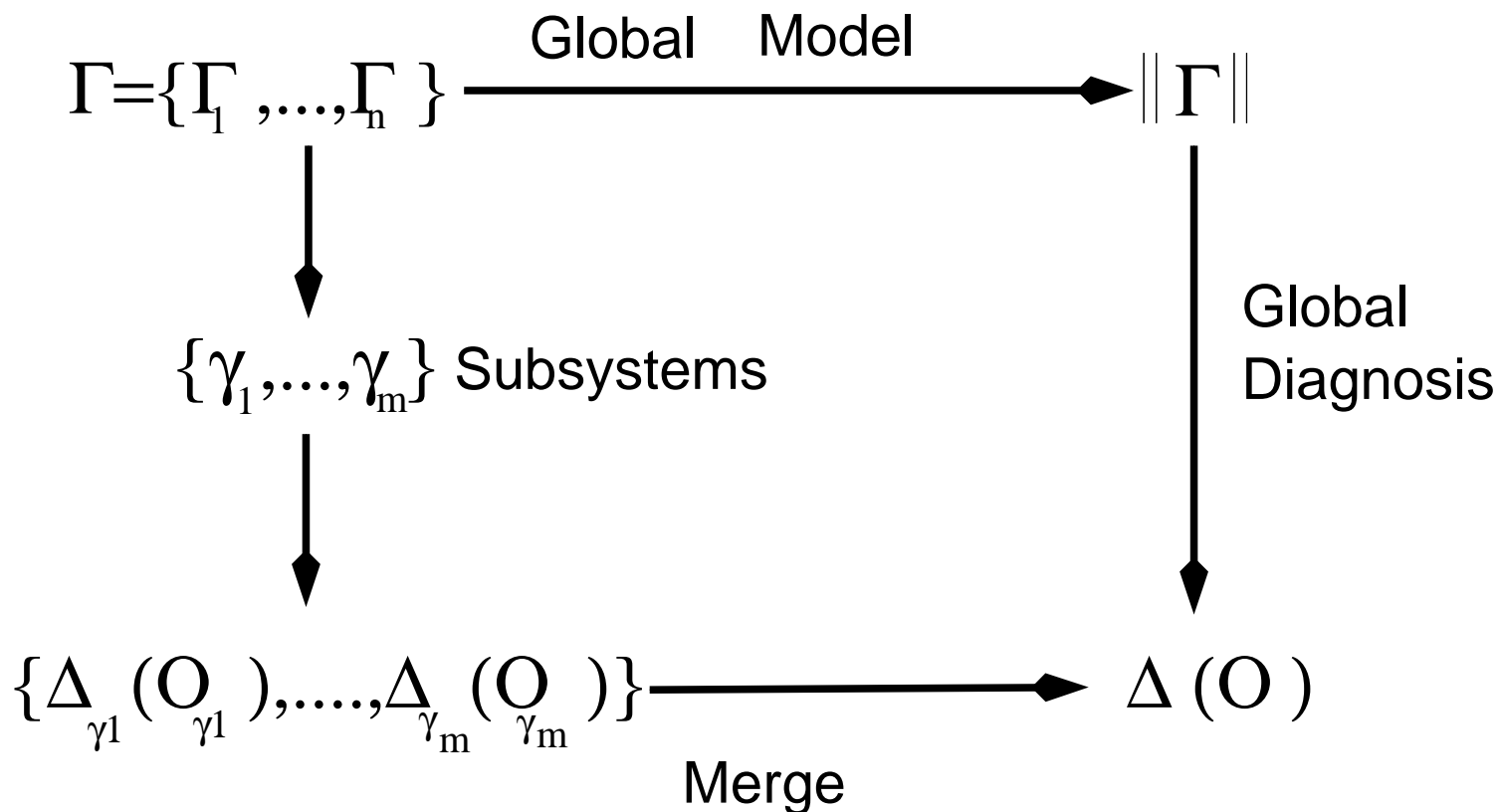
- Global model $||\Gamma||$
 - Size exponential in the number of components \Rightarrow Impossible to compute
- Decentralised model
 - Size linear in the number of components
- Easy to model the reconfigurations



Outline

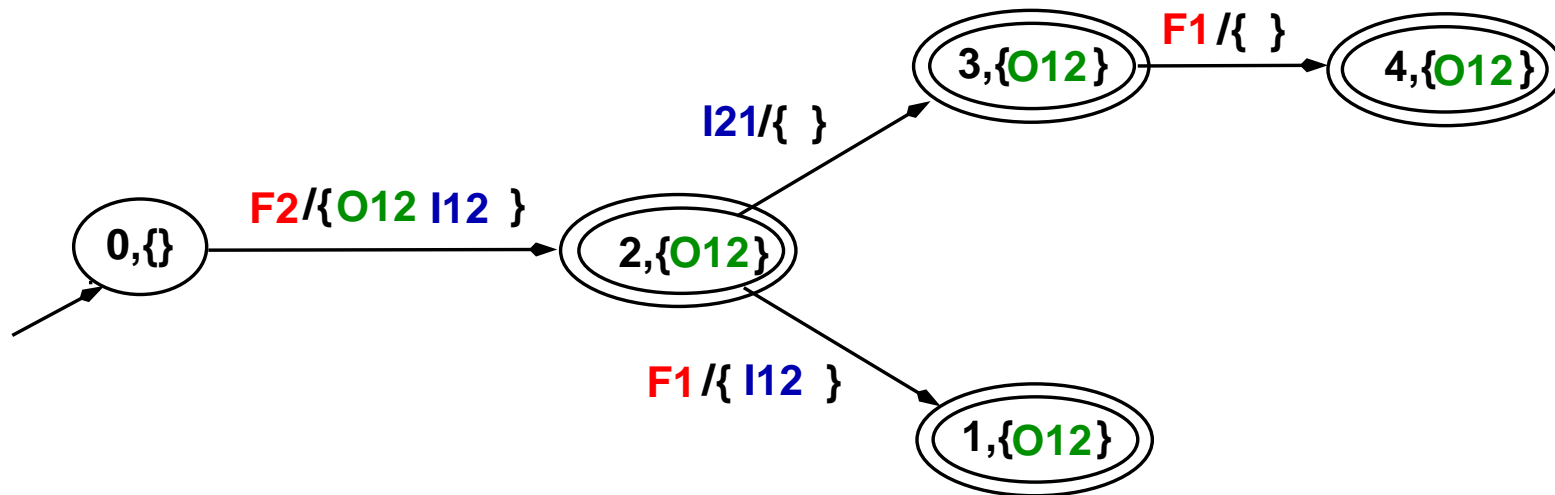
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Principle of the decentralised approach for diagnosis



Local diagnosis

- Example: observation **O12**



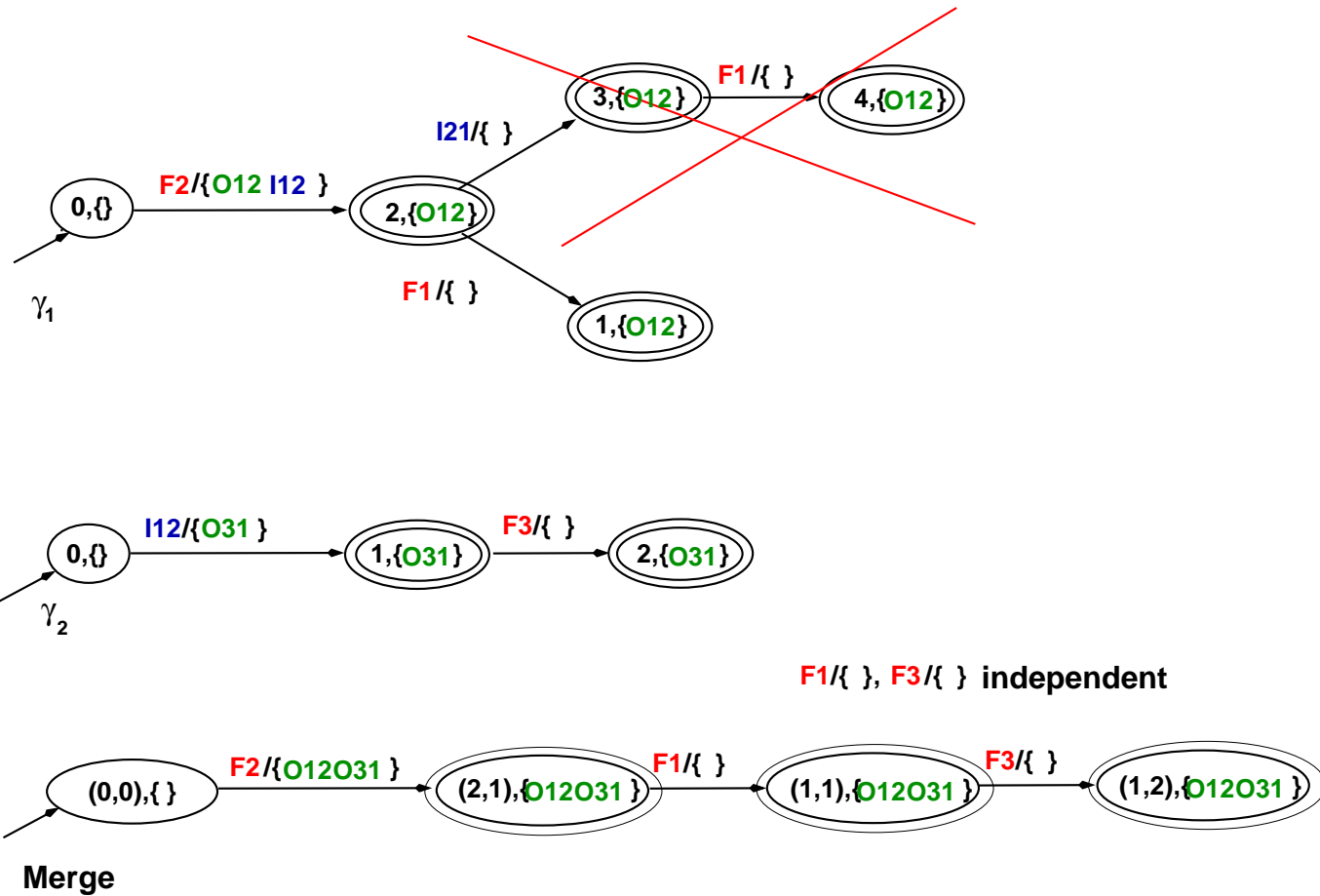


Merging operation

Compute $\Delta_{\{\gamma_1, \gamma_2\}}$

- Compute the diagnosis of $\gamma = \{\gamma_1, \gamma_2\}$
- Use the local diagnoses Δ_{γ_1} and Δ_{γ_2}
- Synchronise the emissions and receptions of messages
- Check the order of the observations

Merging operation





Merging strategy

- The merging may be not efficient!
- We use a *dynamic* strategy to choose which diagnoses to merge
 - merge dependant diagnoses
 - detect incompatible paths
- *The less I merge, the more efficient I am!* (Yannick P.)



Properties of the approach

- Decentralised model
 - Synchronous communications
- Decentralised diagnosis
 - Deals with partially ordered observations
 - Efficiently deals with concurrency
 - Use a merging strategy



Prospects

- Online diagnosis [Pencolé *et al.*]
 - Incremental diagnosis
- Modeling [Grastien *et al.*04] and diagnosis [Grastien *et al.*??] of reconfigurable systems
 - Easy to represent the modification of the topology or the components